

Влияние многократного малоуглового рассеяния нейтронов на максимальную глубину измерения напряжений в ферритной стали

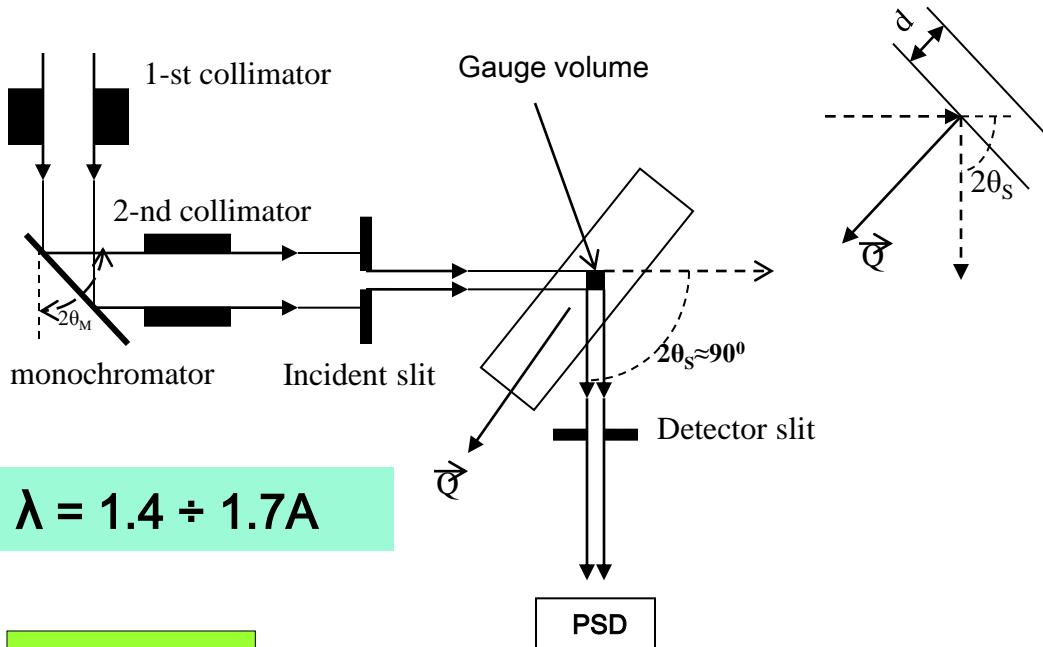
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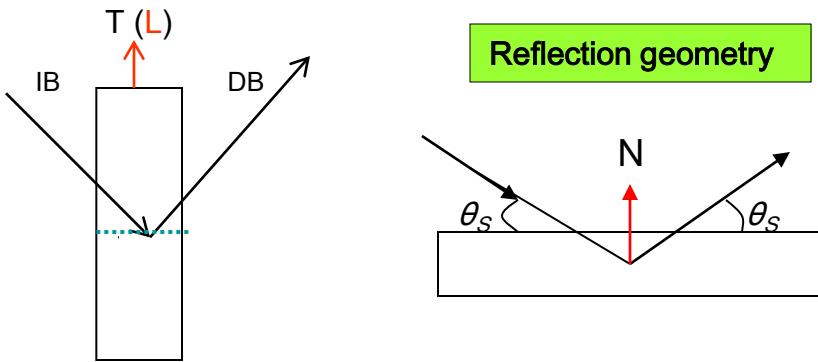
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The schematic of stress measurements at nuclear reactor

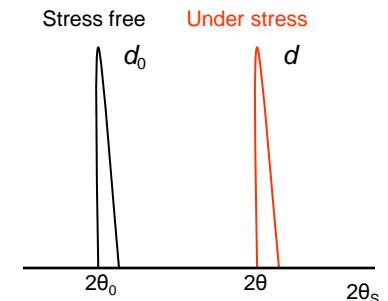


Transmission geometry



Bragg's law:

$$2d \sin \theta = \lambda$$



Strain(ε)

$$\varepsilon = \frac{d' - d_0}{d_0} = -(\theta - \theta_0) \cot \theta_0$$

Stress

$$\sigma_{ii} = \frac{E}{(1+\nu)} \left[\varepsilon_{ii} + \frac{\nu}{1-2\nu} (\varepsilon_{ii} + \varepsilon_{jj} + \varepsilon_{kk}) \right]$$

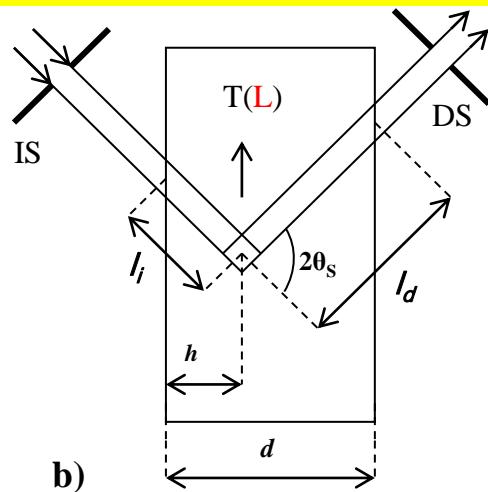
E: Young's modulus, ν: Poisson's ratio

Penetration of neutrons and X-rays

Irradiation	Energy (keV)	Wavelength (Å)	$L_{1/2}$ (mm)				
			Al	Ti	Fe	Ni	Cu
Thermal neutrons	2.5×10^{-5}	1.8	66.5	12.5	5.5	3.5	7
ID15 (ESRF)	150	0.08	27	9.7	4.8	3.5	3.5
ID31 (ESRF)	60	0.21	9	2.1	0.7	0.55	0.5
Laboratory (Cu $K\alpha$)	8.05	1.54	0.052	0.007	0.0027	0.016	0.015

$L_{1/2}$ Path length at which intensity decreases 2 times

Measurement of T(L) components (transmission geometry)



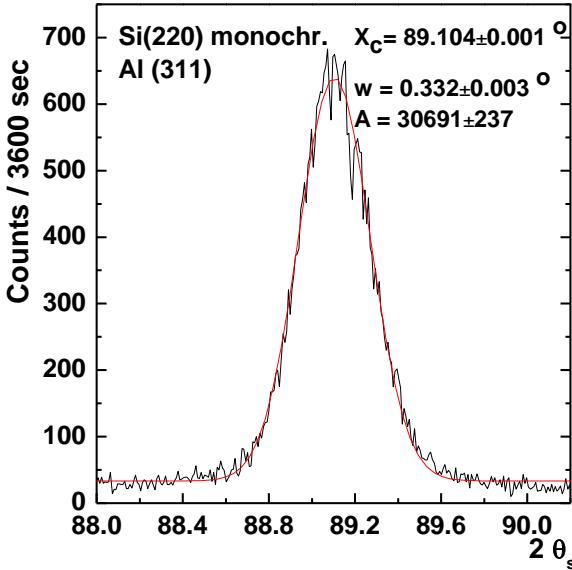
$$l = l_i + l_d = d / \cos \theta$$

Neutrons:

Advantage over X-rays: measuring 3 strain components in principal direction

Difficulty when $l > 60\text{mm}$ (40mm thick plate) because of low intensity of neutron sources

Strain error



$$Err(\theta_s) = \frac{u}{\sqrt{I}}$$

(Withers et al, (2001), J.Appl.Cryst.)

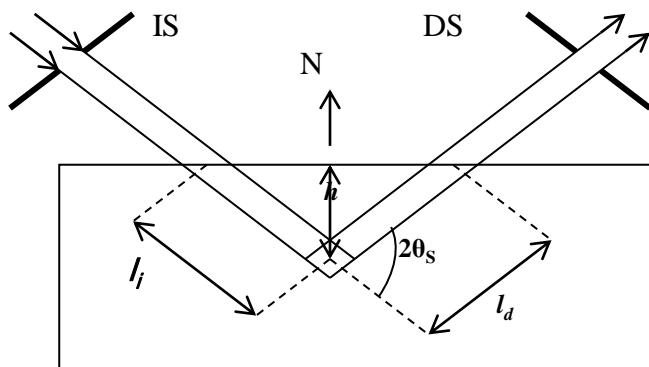
$$Err(\varepsilon) = \frac{u}{\sqrt{I}} \operatorname{ctg} \theta_s$$

u -standard deviation in θ_s

I -integral intensity

$$Err(\varepsilon) = \frac{u}{\sqrt{I}} \operatorname{ctg} \theta_s \left(1 + 2\sqrt{2} \frac{B}{H} \right)^{1/2}$$

B -background, H -height of peak



a)

$$l = l_i + l_d = 2h/\sin\theta$$

Measurement at depth

$$I = I_0 e^{-\mu x} = I_0 e^{-\sigma_t n_0 x}$$

$$H = H_0 e^{-\mu x} = H_0 e^{-\sigma_t n_0 x}$$

$$Err(\varepsilon)_l = \frac{u_0}{\sqrt{I_0 e^{-\sigma_t n_0 l}}} \operatorname{ctg} \theta_s \left(1 + 2\sqrt{2} \frac{B_l}{H_0 e^{-\sigma_t n_0 l}} \right)^{1/2}$$

1. Increasing maximum available depth by increasing the measuring time or gauge volume is not effective.

Depth capabilities of neutron and synchrotron diffraction strain measurement instruments. I. The maximum feasible path length

Received 18 July 2003

Accepted 25 May 2004

Philip John Withers

	θ (°)	u_θ (°)	Al (311)		Ti (100)		Fe (211)		Ni (311)		Cu (311)		$t_{h/b}$ (Al) (min)	$N_{b=0}$	N_t
			l_t	$l_{h/b}$											
Webster Neutrons	45	0.147	237	23	27	27	40	43	21	21	40	36	90	650	2000
ID31	8	0.002	160	185	22	24	40	43	20	21	39	5	0.01	3	750
ID11	8	0.004	115	45	29	16	15	9	8	5	8	5	0.2	25	1600
BM16	10	0.004	85	55	19	13	8	6	5	4	5	3	15	15	90
16.3 SRS	10	0.005	50	45	9.4	9	4	4	2.5	2.4	2.4	2.3	15	22	900

Macroscopic Residual Stress Measurements by Neutron Diffraction

Thomas M. Holden, Northern Stress Technologies, Canada.

(Residual stress summit 2010)

Neutron diffraction provides a measurement of stress at depth in engineering components because of the high penetration of thermal neutrons through most industrial materials. The limiting path length is about 50mm for nickel-based alloys, 60mm for iron-based alloys but 250mm for aluminum alloys. Measurements can be made at a reactor instrument with neutrons of a single wavelength by recording the angle of diffraction, or at a spallation neutron source using neutrons of

Maximum feasible path length for iron-based alloys in modern stress diffractometers is about 60mm that corresponds to 40mm thick plate.

- ISIS team measured RS in a **62 mm thick weld** with a large gauge volume of about 1000 mm³ and error about 200 μ strain (*Davies et al., Mat. Sci. Forum, 2010*).

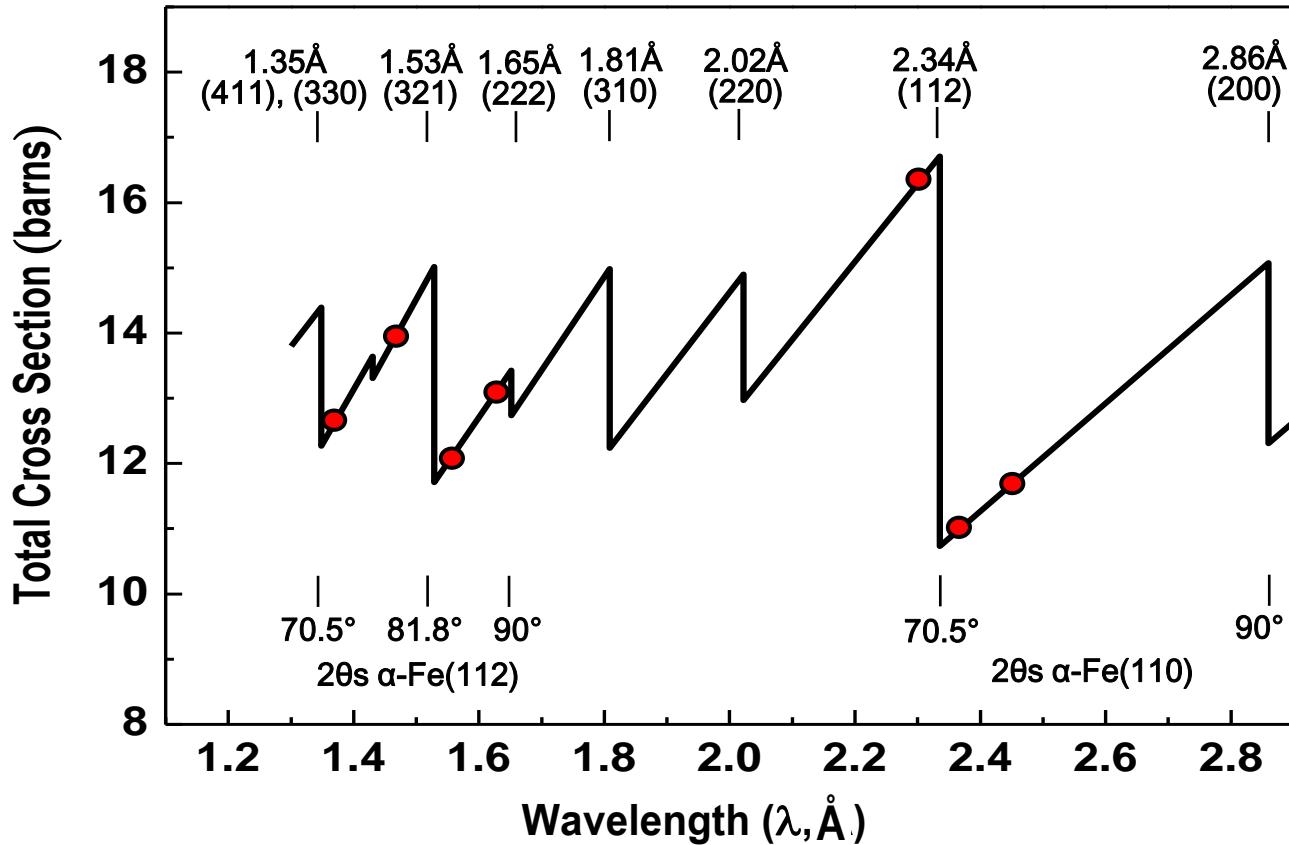
1. Increasing maximum available depth by increasing the measuring time or gauge volume is not effective.

More effective way is using neutrons with lower cross section

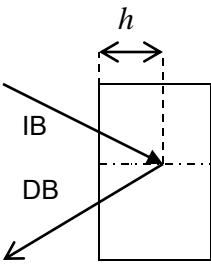
$$\sigma_c(\lambda) = \frac{a\lambda^2}{2\nu_0} |b|^2 \sum_{hkl} \frac{M_{hkl}}{h^2 + k^2 + l^2}$$

$$\sigma_t = \sigma_c + \sigma_i + \sigma_a$$

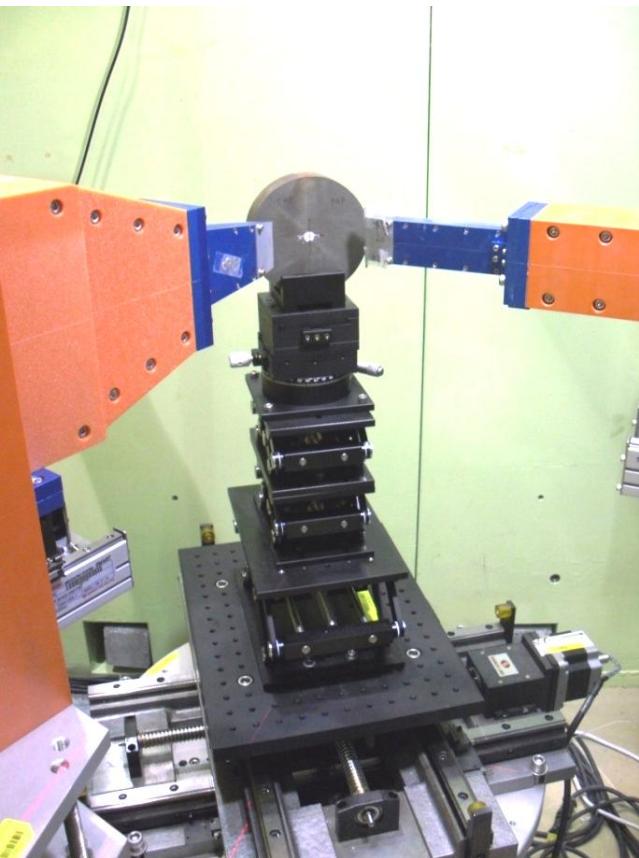
$$\sqrt{h^2 + k^2 + l^2} \leq 2a/\lambda$$



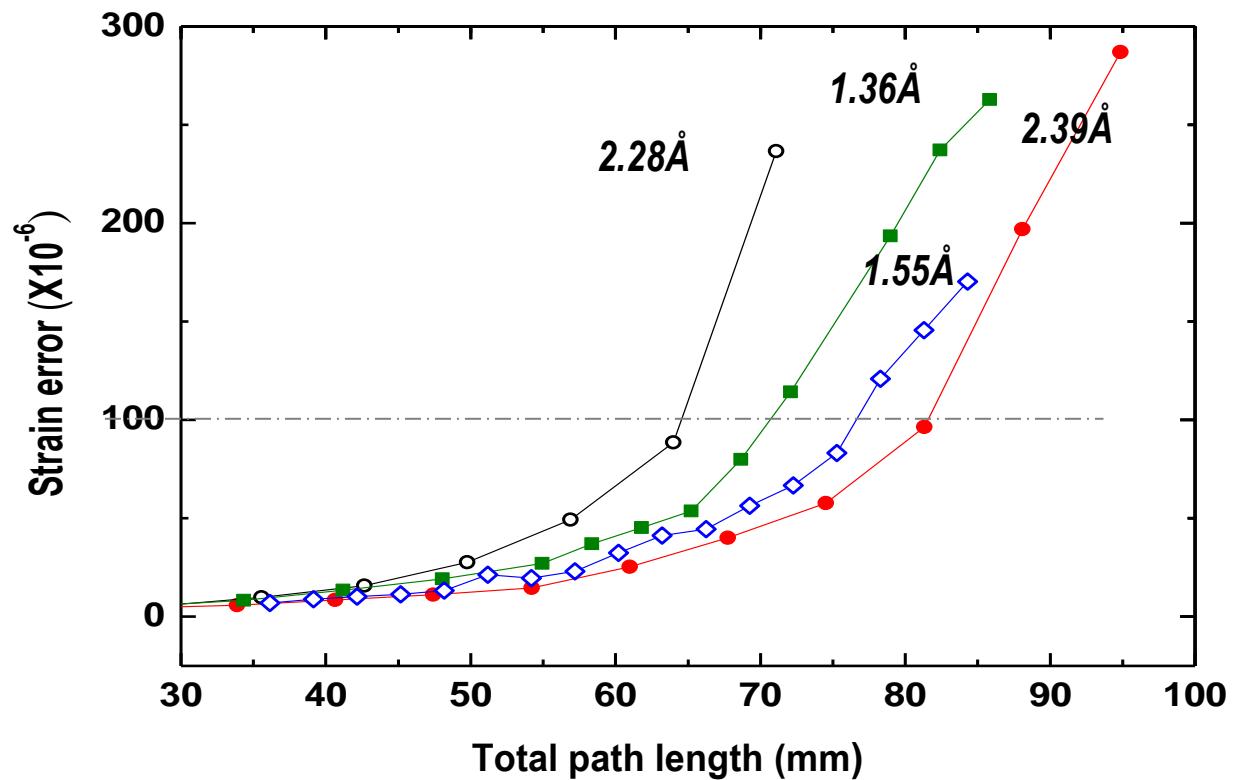
Total neutron scattering cross section for α -Fe as a function of wavelength



Dependence of strain error on total path length in ferritic steel (α -Fe) for different wavelength

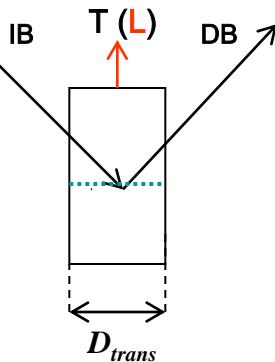
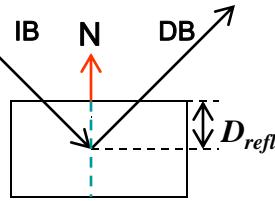


Depth scan in reflection geometry
1h measurement, $2 \times 2 \times 20 = 80 \text{ mm}^3$ gauge volume



Maximum penetration path lengths (l_m) and depths in reflection (D_{refl}) and transmission (D_{tran}) geometries for different wavelength in ferritic steel (α -Fe)

2x2x20=80mm³ gauge volume, 1h measurement time, 10⁻⁴ precision in strain.
 FOM was determined from powder sample (ø8mm) data (gauge volume 2x2x20mm³)



Monochr	$2\theta_M^0$	λ A	Refl. plane	$2\theta_S^0$	FOM	Depth measurement		
						l_m mm	D_{refl} mm	D_{tran} mm
Si(220)	42	1.36	(211)	71.2	73	71	21	58
Si(220)	45	1.46	(211)	77.1	82	68	21	53
Si(220)	48	1.55	(211)	82.9	105	77	26	58
Si(220)	51	1.65	(211)	90.1	119	68	24	48
Si(111)	43	2.28	(110)	68.5	90	64	18	53
Si(111)	45	2.39	(110)	72.1	100	83	24	67
Si(111)	46	2.44	(110)	73.8	84.5	80	24	64

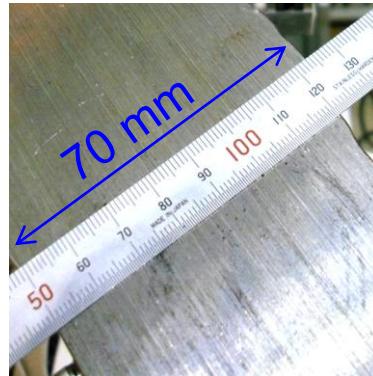
Heavy industries are strongly pursuing the use of extra thick steel plates and pipes shipbuilding and nuclear power plants.

Shipbuilding

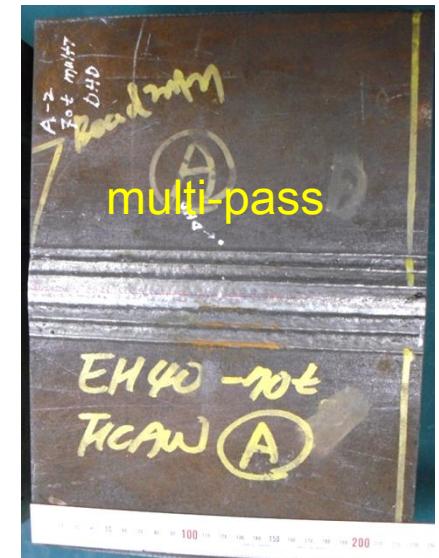
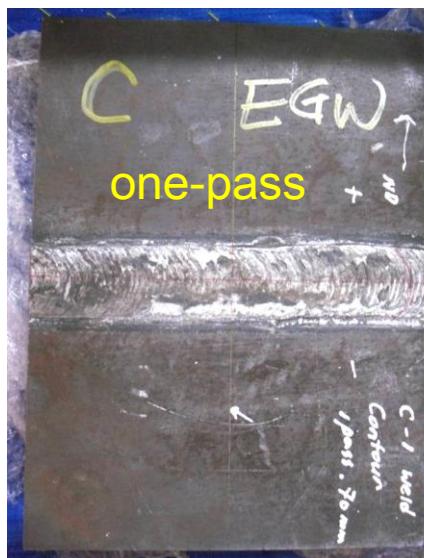
14000 TEU container ship



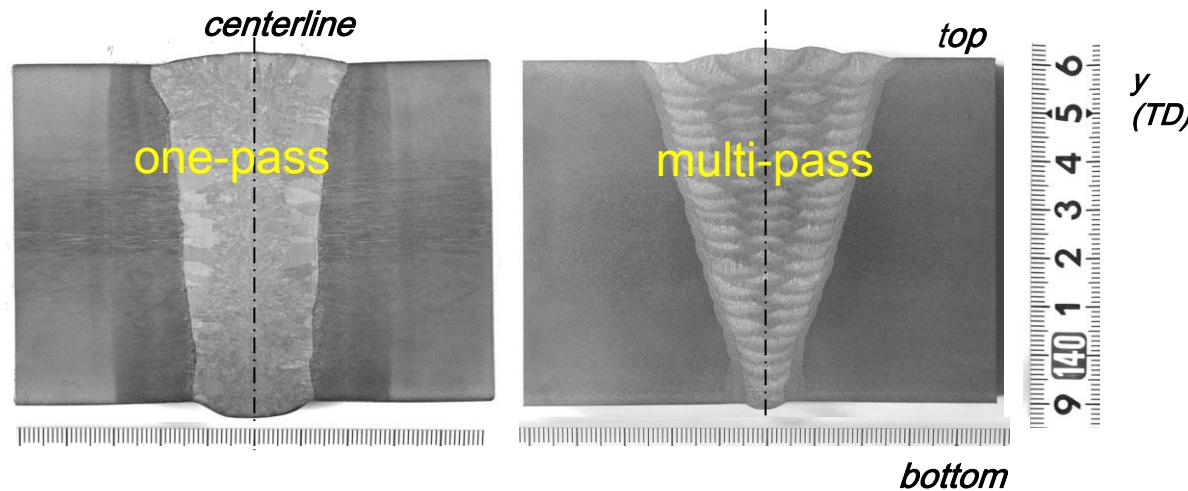
300 mm width
x 230 mm length
x 70 mm thick
welds



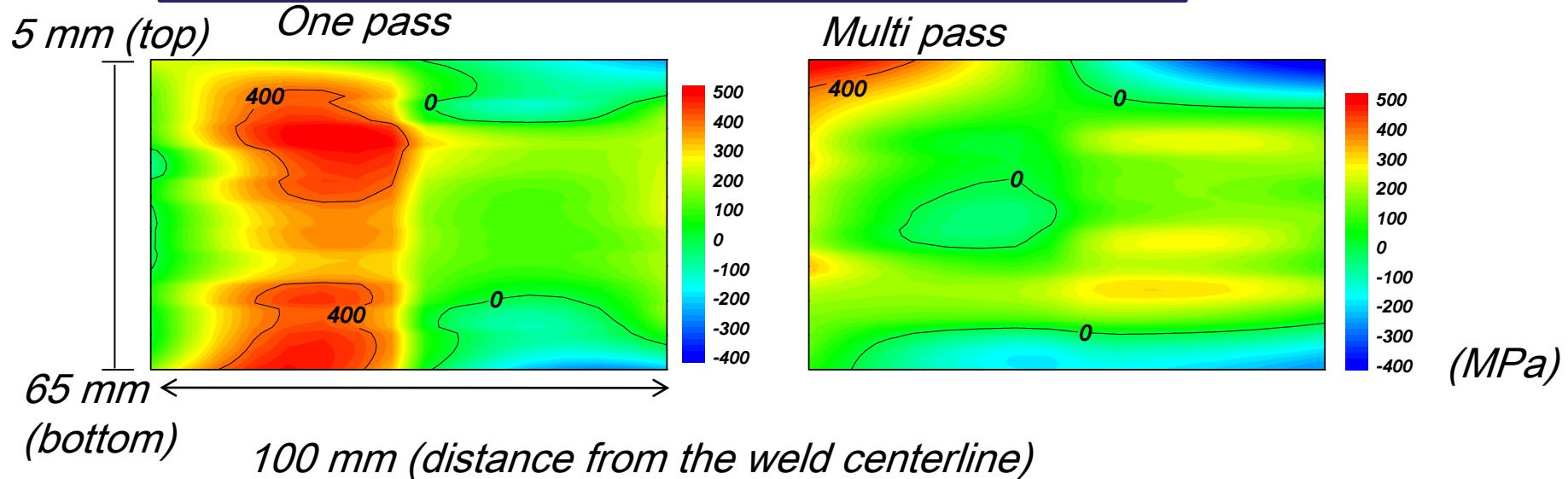
Two kinds of welds



Through-thickness distribution of the residual stresses in 70mm thick welds



Mapping of neutron diffraction results (LD)



Dissimilar weld overlay pipe for power plant

Austenitic steel

top

Case 1: weld only
(out diameter: 119.13 mm)

Ferritic steel

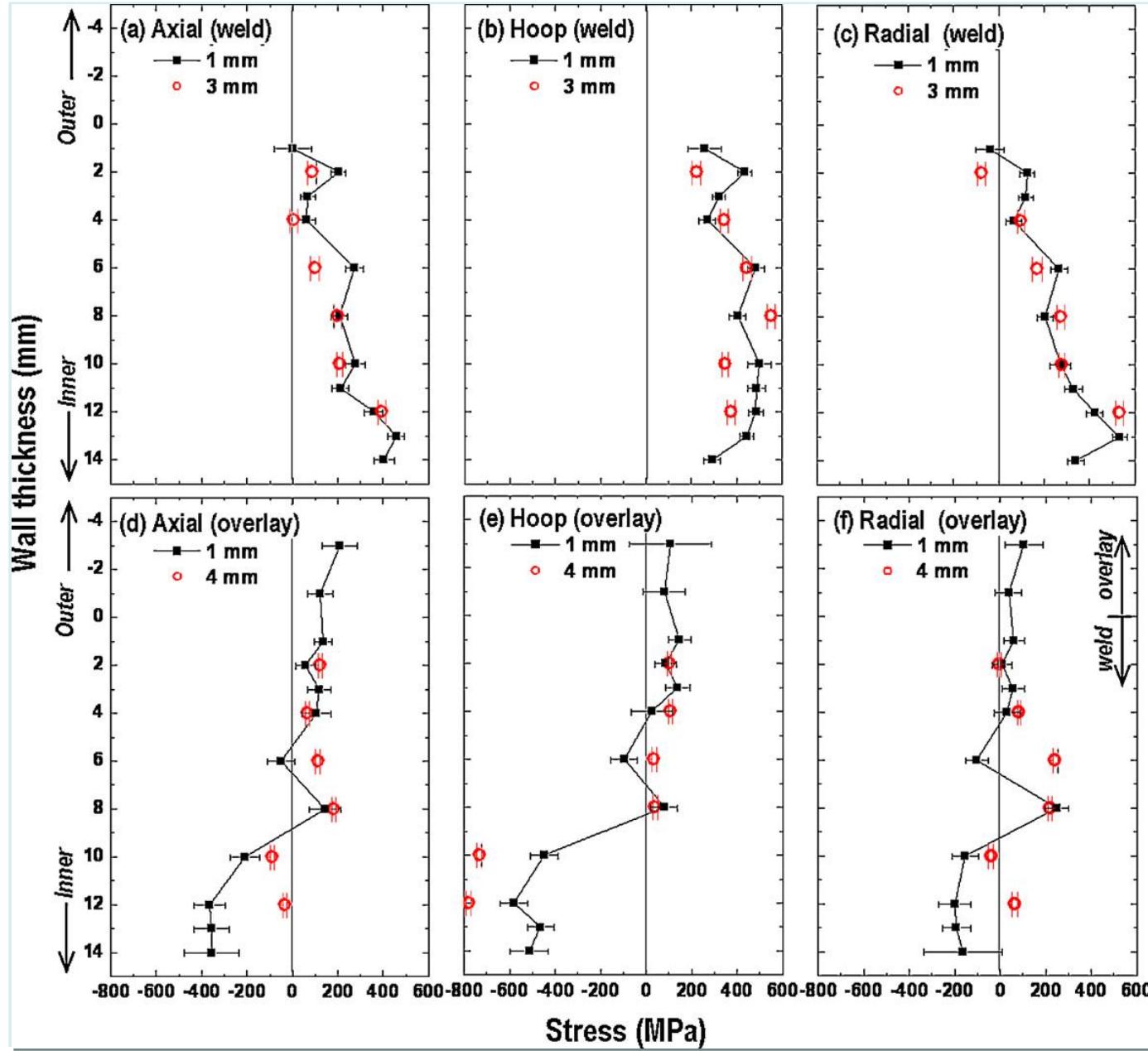
bottom



Sample:
length – 500mm
outer diameter - 170 mm
weight ~ 40kg

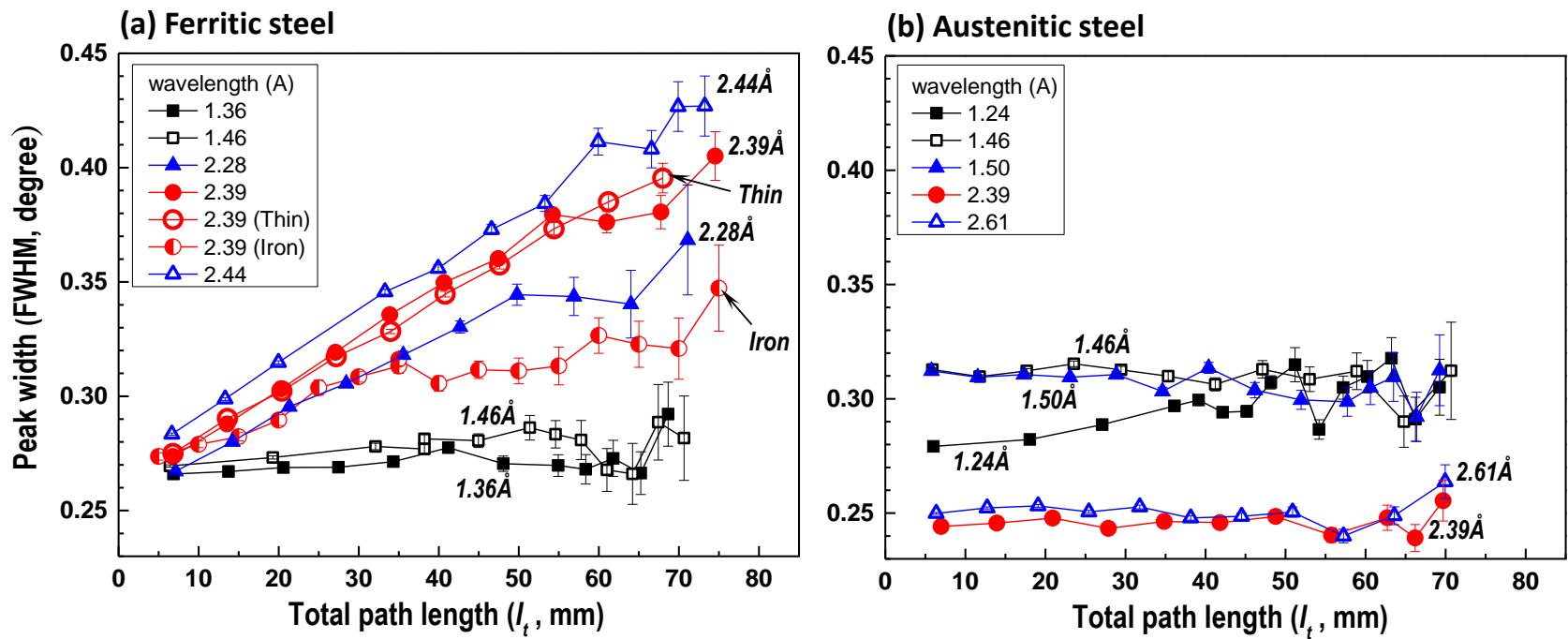
Case 2: weld with cladding
(outer diameter: ~124.13 mm,
~ 5 mm thick cladding)

Stress distribution in dissimilar weld overlay pipe



Перспективы дальнейшего увеличения глубины измерения напряжений в ферритной стали

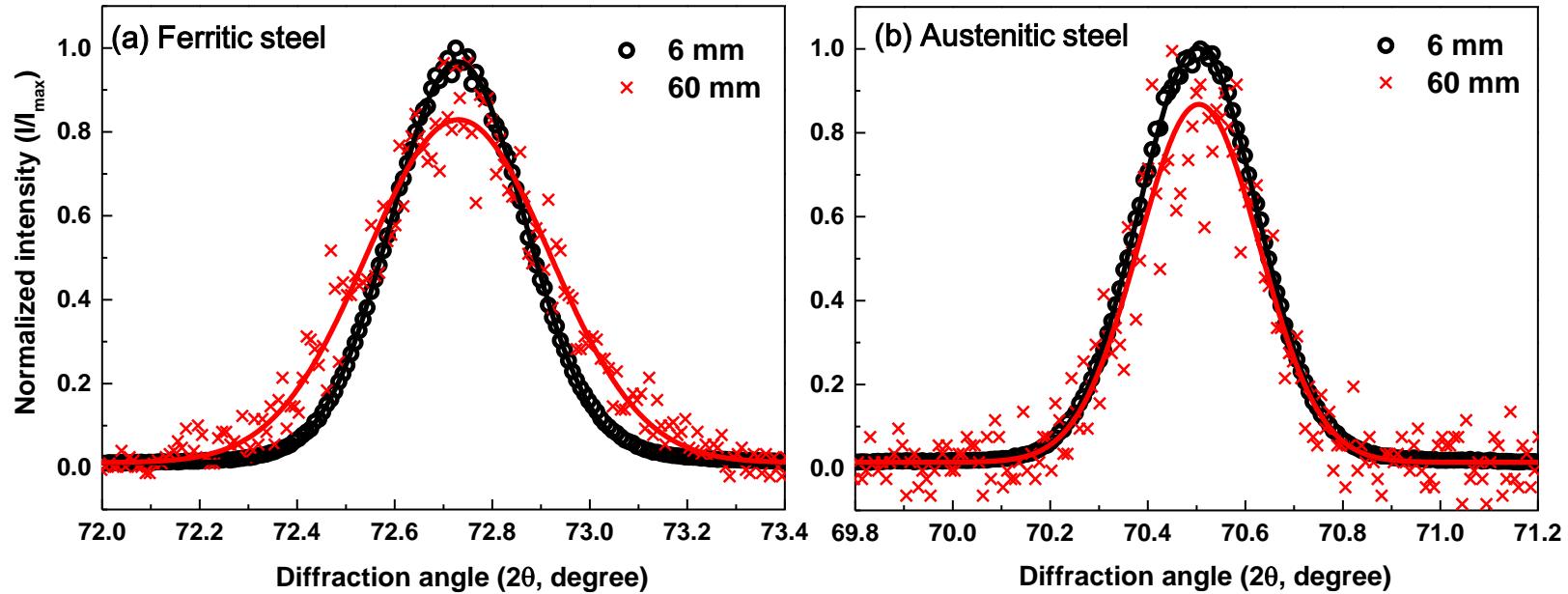
Diffraction peak broadening with depth in steels



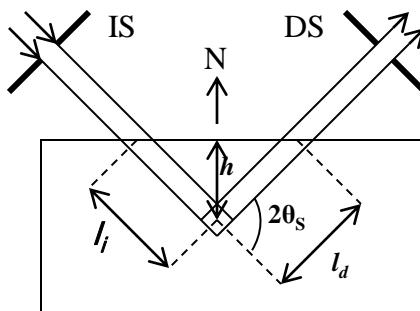
1. Peak broadening was observed in ferritic steels and was not observed in austenitic steel.
2. Peak broadening increases with wavelength.

Multiple small angle scattering on magnetic domains?

Diffraction peak broadening in ferritic steel



Diffraction peaks of (a) (110) of ferritic steel, (b) (111) of austenitic steel measured at the total path length (l_t) of 6 mm and 60 mm with the λ of 2.39 Å

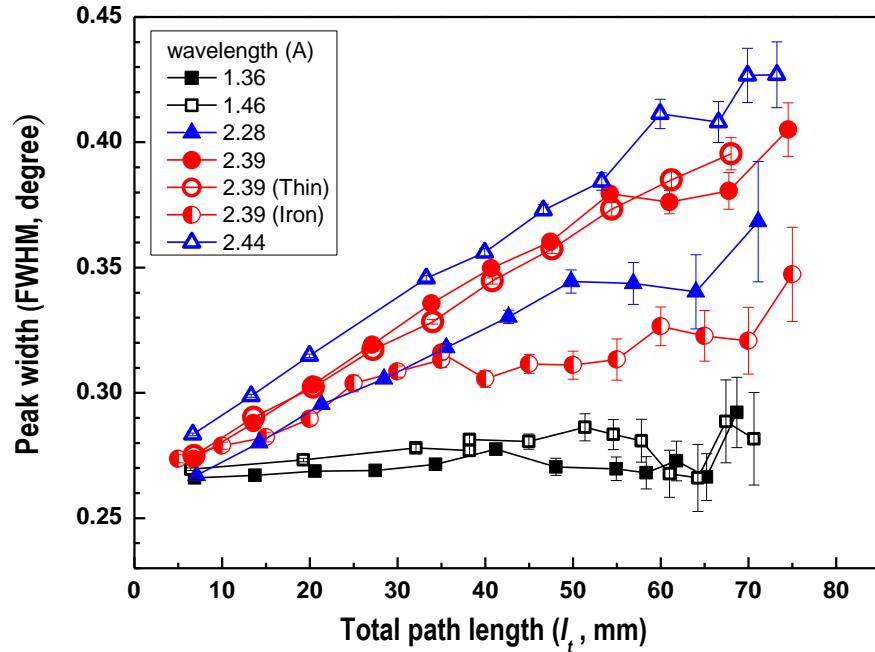


a) $l = l_i + l_d = 2h/\sin\theta$

Strain error at depth (without broadening)

$$Err(\varepsilon)_l = \frac{u_0}{\sqrt{I_0 e^{-\sigma_t n_0 l}}} \operatorname{ctg} \theta_s \left(1 + 2\sqrt{2} \frac{B_l}{H_0 e^{-\sigma_t n_0 l}} \right)^{1/2}$$

Estimation of domain size



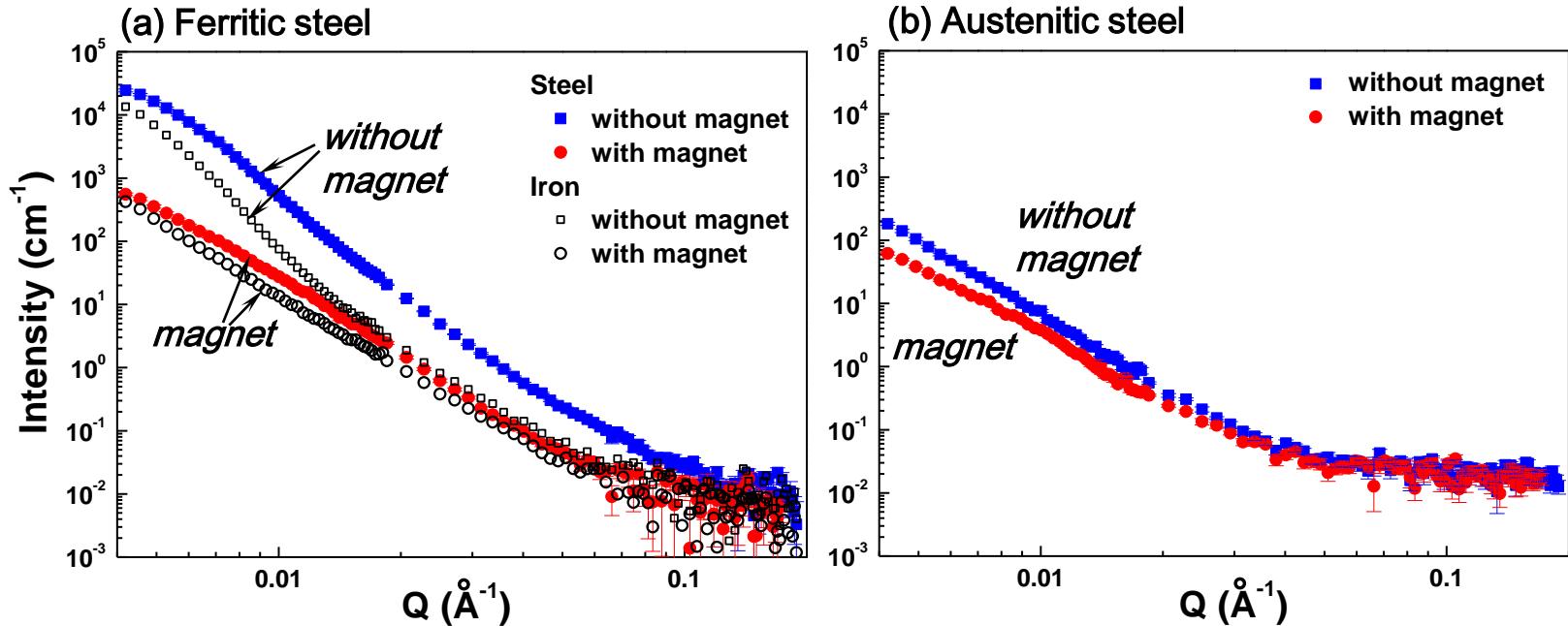
Ferritic steel : $\delta = 4\mu$
Iron : $\delta = 10.4\mu$
Both are reasonable

$$\beta = (w^2 - w_0^2)^{1/2} = \sigma_0 \delta^{-1/2} t^{1/2}$$

w_0 and w are the angular widths of the neutron beam before and after traversing the thickness t , σ_0 is the average deviation per domain boundary, δ - the domain size

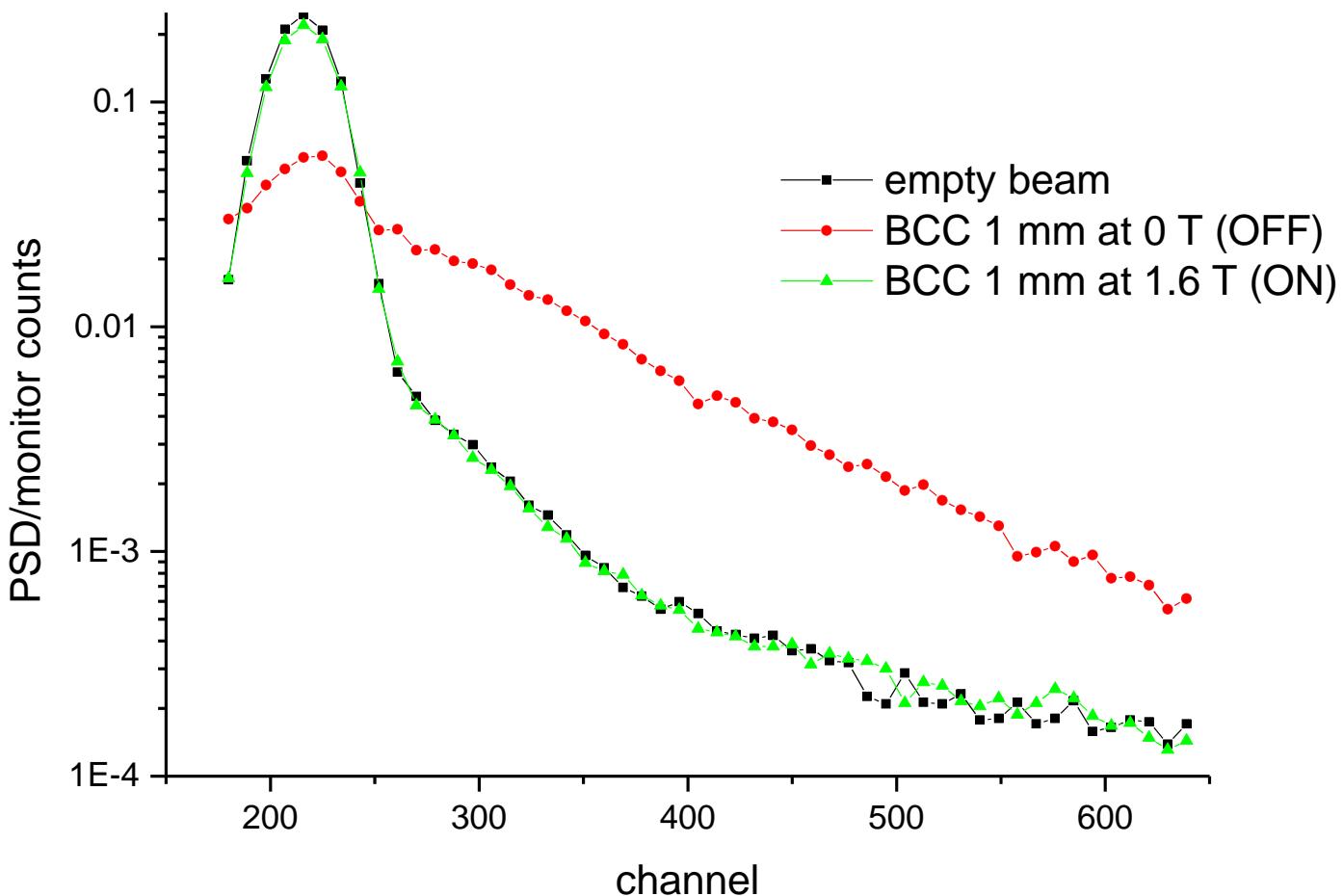
$$\sigma_0 = \sqrt{\frac{2}{\pi} \left(\frac{4\mu m_B \lambda^2}{h^2} \right) \left[1 - \ln 2 - \ln \frac{2\mu m_B \lambda^2}{h^2} \right]^{1/2}}$$

Multiple small angle scattering on magnetic domains?



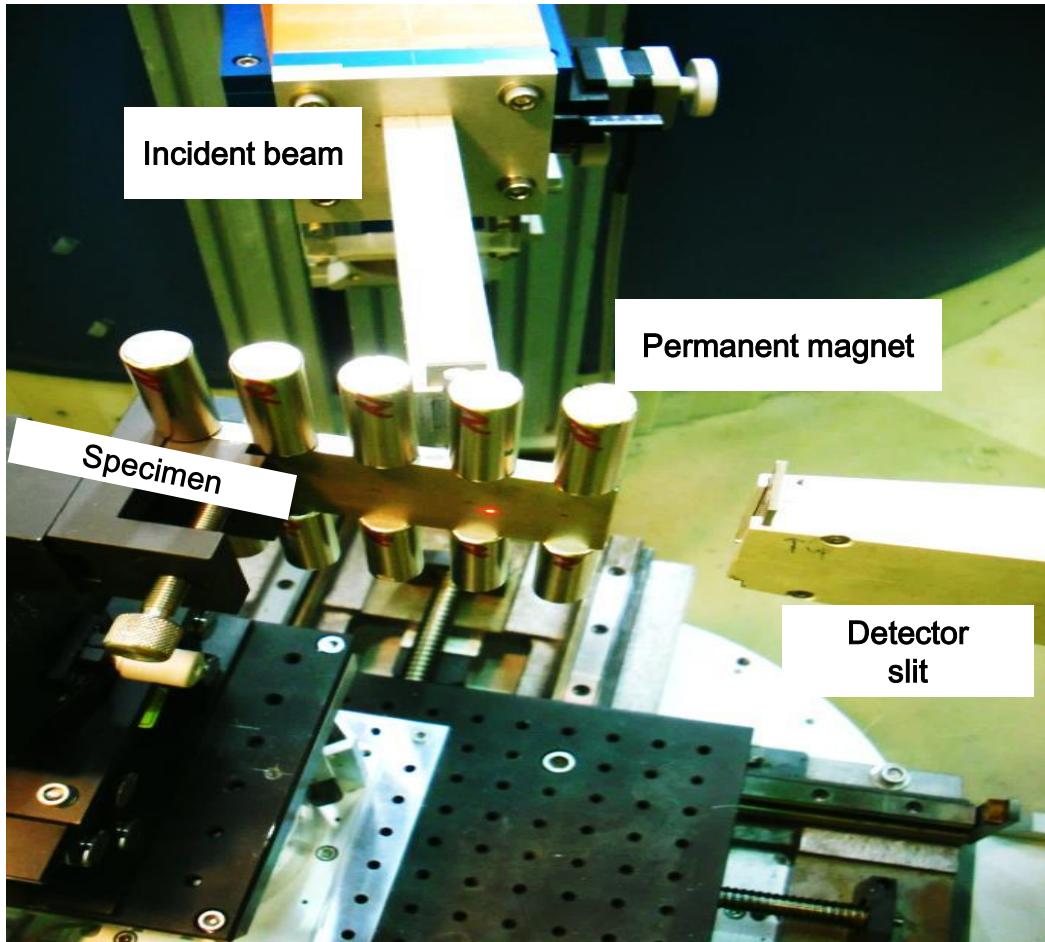
Small-angle neutron scattering results in (a) ferritic steel and iron, and (b) austenitic steel. The magnetic field (1.2T) is perpendicular to the beam direction and parallel to the Q direction

Small angle scattering experiment at MAUD (INP, Czech Republic)



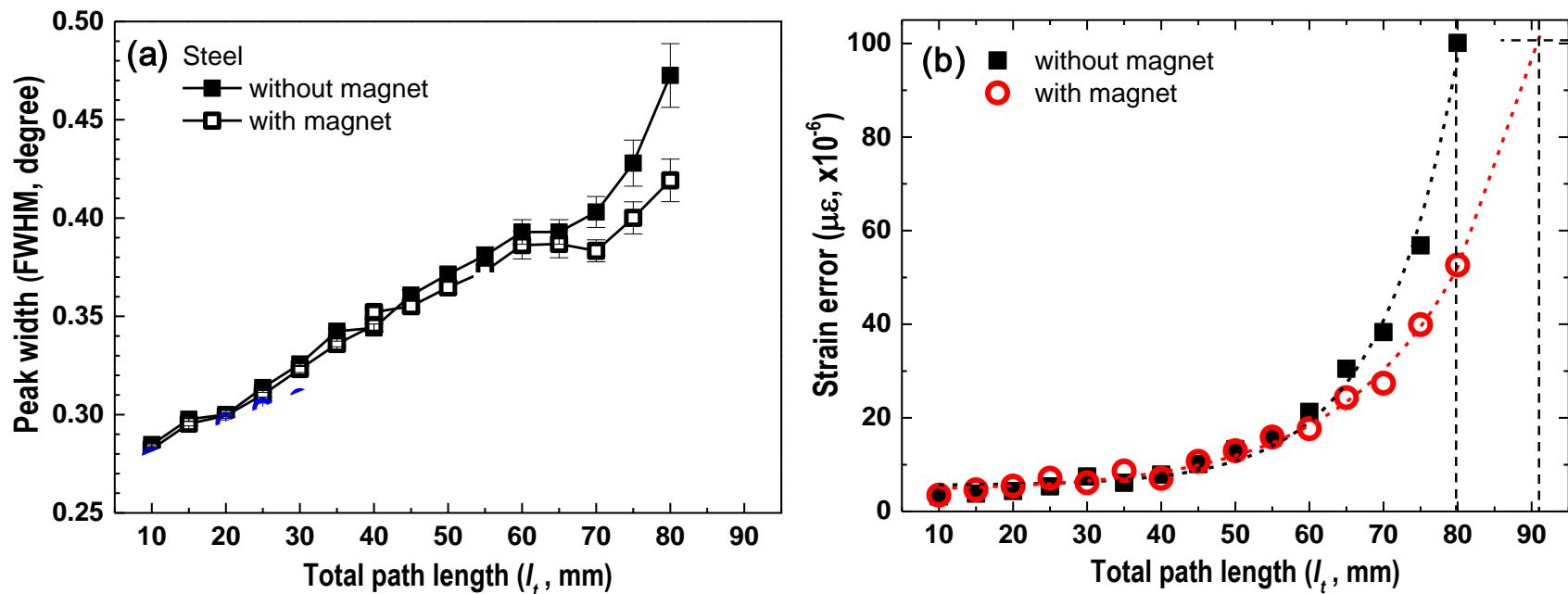
Raw data of scattering by BCC steel sample. Measured at high resolution (0.00111 mrad/channel) without beam-stop. MF applied horizontally i.e. parallel to PSD axis. Wavelength 2.09 Å.

Strain measurement with magnetic field



Experimental set-up for depth scan of diffraction peak in sample under magnetic field . Permanent magnet **0.5T**

Magnetic field and strain error



Variation of the diffraction-peak width as a function of l_t with or without magnetic field in ferritic steel and (b) the dependence of the strain error on the l_t with or without magnetic field in ferritic steel. The diffraction peak of (110) was measured for 1 hour using 2.39 Å and the diffraction angle (2θ) of 72.4° with the beam gauge volume of 80 mm³.

Magnetic field can increase maximum available path length (depth) for strain measurements in ferritic steels.

Спасибо за внимание!